Educational Epiphany ™ Districtwide PLC Protocol for Mathematics

Teacher/Teacher Team:

Grade/Course: Algebra 2

Date: Week of September 26, 2022

#	Planning Question	Teacher/Teache	r Team Response
	Algebra 2 Coherence Tool: Access the foundational standards to make connections to previously taught skills during the lesson introduction.		
1	Which state standard is	Lesson 3.1 – Graphing Polynomial Functions	Lesson 3.2 – Adding, Subtracting, and Multiplying Polynomials
	your lesson progression addressing?	 A2.F.IF.A.1 For a function that models a relationship between two quantities, interpret key features of graphs and tables in terms of the quantities, and sketch graphs showing key features given a verbal description of the relationship. ★ Foundational Standards: A1.F.IF.A.1, A1.N.Q.A.1 A2.F.IF.A.2 Calculate and interpret the average rate of change of a function (presented symbolically or as a table) over a specified interval. Estimate the rate of change from a graph. ★ Foundational Standard: A1.F.IF.A.2 A2.F.IF.B.3 Graph functions expressed symbolically and show key features of the graph, by hand in simple cases and using technology. ★ b. Graph polynomial functions, identifying zeros when suitable factorizations are available, and showing end behavior. Foundational Standards: None 	 A2.F.IF.B.5 Compare properties of two functions each represented in a different way (algebraically, graphically, numerically in tables, or by verbal descriptions). Foundational Standard: A1.F.IF.C.7a A2.F.BF.A.1 Write a function that describes a relationship between two quantities.★ b. Combine standard function types using arithmetic operations. Foundational Standards: None
2	What mathematical concepts are embedded in the state standard?	 Understand that: A polynomial function is a function whose rule is either a monomial or a sum of monomials. The key features of the graph of a polynomial function – such as its end behavior, intercepts, and turning points – can be used to sketch a graph of the function. Students describe turning points and relative minimum and maximum values of the graphs of polynomial functions. Students understand that when the leading coefficient is positive, the graph increases as x approaches infinity. When the leading coefficient is negative the graph decreases as x approaches infinity. They recognize that for even functions the end behavior of the graph is the same as x approaches positive and negative 	 Understand that: Just as with real numbers, the properties of operations can be used to add, subtract, and multiply polynomials. Polynomial functions can be used to represent and compare real-world situations. Students apply what they know about the Commutative Property, the Associative Property, and the combining like terms to add and subtract polynomials. They apply the Distributive Property to multiply polynomials. Students consider whether the set of polynomials is closed under addition and subtraction and use this to connect properties of the set of real numbers to the set of polynomials.

		infinity, and for odd functions the end behavior of the graph is	
		different as x approaches positive and negative infinity.	
3	What teacher knowledge , reminders , and misconceptions are assumed in the standard?	 Knowledge: The lesson emphasizes a blend of conceptual understanding and application. Students understand that the leading coefficient and the degree of a polynomial can be used to predict the end behavior of a function. Students graph polynomials and interpret the key features to solve problems that involve predicting the behavior of the function that the graph represents. Students use tools strategically when they use technology to make tables of values and explore the graphs of polynomial functions. Students use the structure of a polynomial equation, including the sign of the leading coefficient and the degree of the polynomial, to predict the end behavior of the graph of the function. Students graph and identify the key features of a polynomial function. Students use the leading coefficient and degree of the polynomial function. Students use the leading coefficient and degree of the polynomial function. Students use the leading coefficient and degree of the polynomial function. Students use the leading coefficient and degree of the polynomial function. Students use the leading coefficient and degree of the polynomial function. Students use the leading coefficient and degree of the polynomial function. Students use the leading coefficient and the degree of the polynomial function. Students use the leading coefficient and the degree of the polynomial function. Students use the leading coefficient and degree of the polynomial function. Students may incorrectly define the greatest coefficient as the leading coefficient. Remind students to rewrite the polynomial, reordering the terms so the exponents are in descending order. Students may not remember that, when moving and reordering a polynomial, the sign belongs to the term and must be moved also. Have students rewrite the polynomial so all terms are added together before reordering. 	 Knowledge: This lesson emphasizes a blend of conceptual understanding and procedural skill and fluency. Students understand that polynomials are closed under the operations of addition, subtraction, and multiplication. Students use efficient strategies and the properties of operations to add, subtract, and multiply polynomials. Students deconceptualize real-world problems, such as those about changes made to the specifications of manufactured products by writing equations to represent the problems. Then, after manipulating the symbols, they contextualize the answers. Students develop logical arguments to show whether the set of polynomials is closed under the operations of addition, subtraction, multiplication, and division. Students add, subtract, and multiply polynomials. Students add, subtract, and multiply polynomials. Students graphed, classified, and interpreted the key features of a polynomial function.
4	What objective(s) must be taught? In what order? Why?	 PBO: SWBAT graph the following functions, identify key features of the graph, and interpret the meaning of the key features in relationship to the context of the problem IOT solve a real-world problem. (square root function, cube root function, exponential function, polynomial function, logarithmic function) (A2.F.IF.A.1) SWBAT calculate and interpret the average rate of change when given an equation or table of a polynomial, exponential, or logarithmic function IOT understand the meaning in a contextual problem. (A2.F.IF.A.2) 	 PBO: SWBAT rewrite expressions IOT represent the expressions in different forms. (A2.A.SSE.A.1) SWBAT compare properties of two exponential, two logarithmic, two polynomial functions or two functions from different function families each represented in a different way (algebraically, graphically, numerically in tables, or verbally) IOT explain the relationships of the various representations of the functions. (A2.F.IF.B.5)

		 SWBAT estimate the average rate of change over a specified interval of a polynomial, exponential, or logarithmic function when given a graph IOT understand the meaning in a contextual problem. (A2.F.IF.A.2) SWBAT describe end behavior of a polynomial function with degree greater than two given in standard form and factored form IOT explain the relationship that exists between a contextual problem and the key features of a graph. (A2.F.IF.B.3b) SWBAT compare properties of two exponential, two logarithmic, two polynomial functions or two functions from different function families each represented in a different way (algebraically, graphically, numerically in tables, or verbally) IOT explain the relationships of the various representations of the functions. (A2.F.IF.B.5) 	 SWBAT combine functions using arithmetic operations IOT generate a function that describes a real-world situation. (A2.F.BF.A.1b) Lesson objectives: Add, subtract, and multiply polynomials and understand that polynomials are closed under these operations. Compare a polynomial function represented algebraically with one represented graphically.
		 Lesson objectives: Graph polynomial functions and show the key features of the graph. Predict the end behavior of polynomial functions by interpreting the leading coefficients and degrees. Sketch graphs showing key features, given a verbal description. 	
5	What academic language must be taught before the teacher models for students? How will the academic language be taught and assessed?	 Academic Language: algebraic - relating to, involving, or according to the laws of algebra average rate of change – the slope of a line or curve on a given range calculate - to determine the amount or number of something mathematically compare – to note similarities ; to note the similarities or dissimilarities between events, actions, or components context – a situation used to describe a mathematical problem cube root – one of three identical factors of a number that is the product of those factors degree (of polynomial) - the highest power of unknowns or variables present in a polynomial describe – give an account in words of (someone or something) that includes all the relevant characteristics end behavior – the behavior of the graph of f(x) as x approaches positive infinity or negative infinity. equation – a mathematical statement containing an equal sign to show that two expressions are equal estimate – an approximate calculation; judgment of the value, number, quantity, or extent of something explain – make clear by describing; to make something clear by describing it in more detail or by revealing relevant facts or ideas 	 Academic Language: algebraic - relating to, involving, or according to the laws of algebra arithmetic - refers to the use of addition, subtraction, multiplication, or division Associate Property - the property that states that when adding three or more real numbers, the sum is always the same regardless of their grouping combine - unite; merge Commutative Property - tis property means that addends can be added in any order and the sum is always the same. compare - to note similarities ; to note the similarities or dissimilarities between events, actions, or components Distributive Property - an operation that is independent of being carried out before or after another operation explain - make clear by describing; to make something clear by describing it in more detail or by revealing relevant facts or ideas exponential function - A nonlinear function in which the independent value is an exponent in the equation, and can be written in the following forms; y = ab^X, y = a(1+r)^X, or y = a(1 - r)^X expression - a group of mathematical numbers and/or symbols representing a number or quantity form - the visible shape or configuration of something

		 square root – one of two identical factors of a number that is the product of those factors Standard Form of a Polynomial - to express a polynomial by putting the terms in descending exponent order table – numbers or quantities arranged in rows and columns turning point - of the graph of a function is a point where the graph changes direction from upwards to downwards or from downwards to upwards understand – comprehend; grasp the intended meaning of; infer something from information received verbal - relating to, or consisting of words; spoken words rather than written or typed 	
		 Instructional Practice 2: Strategies used to teach unfamiliar words will include: 30 – 30 – 30 (common math-related word parts in the text, problem, or objective) Point of Use Annotation of the Performance-Based Objective Universal Language of Literacy Word and Definition Walls Word Parts Context Clues Point of Use Annotation of the Text (in Real-Time) 	
6	What practice problems are you planning to use for the I Do, We Do, You Do in Pairs and You Do Without Assistance? What did you learn from working the problems in advance of using them in class with students?	Station Rotation Model Suggestions Teacher-Led Station: Teachers can work with students on additional We Do problems. • Additional Examples – TE pg. 131, pg. 132, pg. 134 • <u>3-1 Reteach to Build Understanding</u> Online Station: Students can watch and engage with Virtual Nerd Video lessons. Students will initially tell what they think the answer to the question is or their opinion regarding an issue, and/or their thoughts based on a prompt. Then the students will watch the video to decide as to whether their original assertion was accurate, justified, etc. • <u>3-1: Virtual Nerd™: How Do You Use a Table to Estimate Where the Turning Points of a Polynomial Function Occur?</u> • <u>3-1: Virtual Nerd™: How Do You Sketch the Graph of a Polynomial Function Given Characteristics of the Graph?</u>	Station Rotation Model Suggestions Teacher-Led Station: Teachers can work with students on additional We Do problems. • Additional Examples – TE pg. 139, pg. 140, pg. 141 • 3-2 Reteach to Build Understanding Online Station: Students can watch and engage with Virtual Nerd Video lessons. Students will initially tell what they think the answer to the question is or their opinion regarding an issue, and/or their thoughts based on a prompt. Then the students will watch the video to decide as to whether their original assertion was accurate, justified, etc. • 3-2: Virtual Nerd™: How Do You Solve a Word Problem by Subtracting and Multiplying Polynomials? • 3-2: Virtual Nerd™: How Do You Solve a World Problem by Subtracting Polynomials
		Offline Station: Students would complete problems and exercises selected for the You Do in Pairs part of the lesson. • Lesson Performance Task #32 – Pg. 138 • <u>3-1 Additional Practice</u> • <u>3-1 Mathematical Literacy and Vocabulary</u> • <u>3-1 Enrichment</u>	Offline Station: Students would complete problems and exercises selected for the You Do in Pairs part of the lesson. • Lesson Performance Task #32 – Pg. 145 • <u>3-2 Additional Practice</u> • <u>3-2 Mathematical Literacy and Vocabulary</u> • <u>3-2 Enrichment</u>

7	What manipulatives might	Reference: Interactive Manipulatives	Reference: Interactive Manipulatives
/	be integrated into the	Didax Virtual Manipulatives	Didax Virtual Manipulatives
	gradual release of	<u>Savvas Math Tools</u>	<u>Savvas Math Tools</u>
	responsibility (I Do, We Do,	 <u>Realize Desmos (Graphing Calculator)</u> 	 <u>Realize Desmos (Graphing Calculator)</u>
	You Do in Pairs, You Do	 <u>Realize Desmos (Scientific Calculator)</u> 	 <u>Realize Desmos (Scientific Calculator)</u>
	Without Assistance)? What		
	did you learn from using		
	the manipulatives in		
	advance of using them in		
	class with students?		
α	What graphic organizer(s)	Reference:	Reference:
0	might support students'	Graphic Organizer Templates	Graphic Organizer Templates
	conceptual	 <u>Google Drawing Graphic Organizers</u> 	 <u>Google Drawing Graphic Organizers</u>
	understanding of the	<u>Teacher Vision</u>	<u>Teacher Vision</u>
	process outlined by the		
	performance-based		
	objective(s)?		